

Well Test Interpretation SKM4323

CONVENTIONAL INTERPRETATION METHODS

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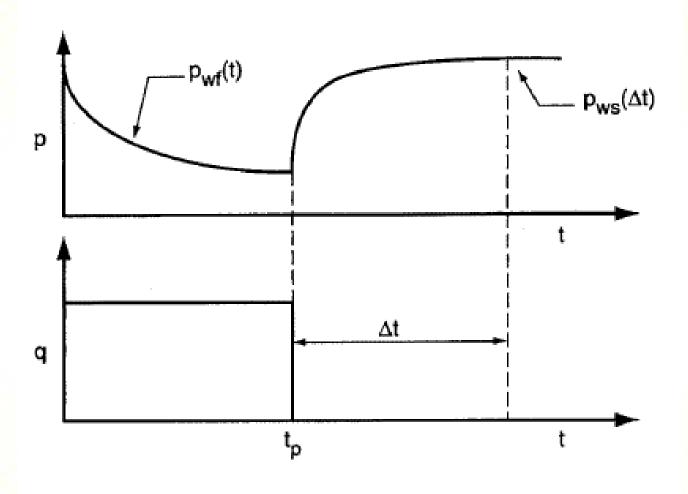
OPENCOURSEWARE

WEEK 04



- Most of the information from a well test comes from interpreting the pressure buildups.
- Interpreting a drawdown test is limited by the flow rate fluctuations inherent to production.
- The zero flow rate that corresponds to pressure buildups does not cause this type of problems.









 Pressure buildup is analyzed using the flow rate superposition principle mentioned before:

$$p_{i} - p_{ws}(\Delta t) = [p_{i} - p_{wf}(t_{p} + \Delta t)] - [p_{i} - p_{wf}(\Delta t)]$$
 (4.14)

 The variations in flowing pressure are given by equation (4.3) once the wellbore storage effect has ended. Replacing the two right-hand terms of equation (4.14) by the semilogarithmic expression of radial flow (equation 4.3) gives:

$$p_{i} - p_{ws}(\Delta t) = \frac{qB\mu}{4\pi kh} \ln \frac{t_{p} + \Delta t}{\Delta t}$$
(4.15)



Which is written:

- in practical US units

$$p_{i} - p_{ws}(\Delta t) = \frac{162.6 \text{ qB}\mu}{\text{kh}} \log \frac{t_{p} + \Delta t}{\Delta t}$$
 (4.16)

- in practical metrics units

$$p_{i} - p_{ws}(\Delta t) = \frac{21.5 \text{ qB}\mu}{\text{kh}} \log \frac{t_{p} + \Delta t}{\Delta t}$$
 (4.17)



Interpretation

- Equations (4.15) to (4.17) show that the bottomhole pressure varies linearly versus log ($t_p + \Delta t$) / Δt .
- If the value of pressure measured at the bottom of the hole is plotted versus the logarithmic of $(t_p + \Delta t) / \Delta t$, on a graph, once the wellbore storage effects has ended a straight line with a slope of m can be observed:

$$m = \frac{162.6 \text{ qB}\mu}{\text{kh}} \qquad \text{(in practical US units)} \tag{4.18}$$

$$m = \frac{21.5 \text{ qB}\mu}{1.15}$$
 (in practical metric units) (4.19)



Interpretation

 As with drawdown, the value of slope m is used to compute the reservoir's kh:

$$kh = \frac{162.6 \text{ qB}\mu}{m}$$
 (in practical US units) (4.20)

$$kh = \frac{21.5 \text{ qB}\mu}{m}$$
 (in practical metric units) (4.21)



Interpretation

- The **skin** value is computed from the difference between:
 - the value of the pressure recorded after 1 hour of buildup on the semilog straight line (Fig. 4.3):

$$p_i - p(1 h) = -\frac{162.6 qB\mu}{kh} log(t_p + 1)$$

— and the value of the pressure at shut-in time:

$$p_{i} - p_{wf}(t_{p}) = -\frac{162.6 \,qB\mu}{kh} \left(\log t_{p} + \log \frac{k}{\phi \,\mu c_{t} r_{w}^{2}} - 3.23 + 0.87 \,S \right)$$



Interpretation

 Subtracting the two expressions term by term, the skin can be deduced:

$$S=1.151 \left(\frac{p_{1h} - p_{wf}(t_p)}{m} + \log \frac{t_p + 1}{t_p} - \log \frac{k}{\phi \mu c_t r_w^2} + 3.23 \right)$$
 (US) (4.22)

$$S=1.151 \left(\frac{p_{1h} - p_{wf}(t_p)}{m} + \log \frac{t_p + 1}{t_p} - \log \frac{k}{\phi \mu c_t r_w^2} + 3.10 \right)$$
 (metric) (4.23)

• The term $\log (t_p + 1) / t_p$) is usually negligible compared to the other terms



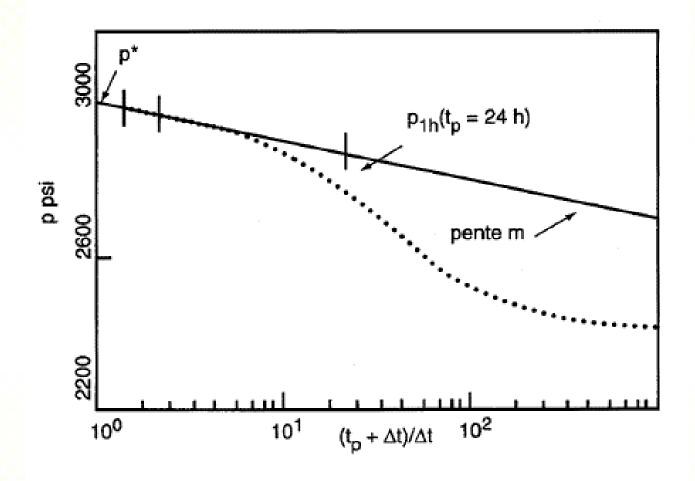


Fig. 4.3



Interpretation

- If the pressure buildup was continue indefinitely, the bottomhole pressure would be equal to the initial reservoir pressure.
- The initial reservoir pressure can be read on the pressure buildup for

$$\Delta t = \infty$$
, i.e, $\frac{t_p + \Delta t}{\Delta t}$

- This pressure value is called the extrapolated pressure and is written p*.
- It is equal to the initial reservoir pressure in most initial test.



Example 2

(In-class workshop)



• If t_p is large compared to Δt :

$$t_p + \Delta t \approx t_p$$

• Equation (4.15) becomes:

$$p_{i} - p_{wf} = -\frac{qB\mu}{4\pi \, kh} (\ln \Delta t - \ln t_{p})$$

- The bottomhole pressure varies linearly versus pressure buildup time.
- This means that during buildup the pressure drop due to previous production is disregarded



- Figure 4.4 illustrates this interpretation method developed by Miller Dyes and Hutchinson, i.e. the MDH method:
 - the real pressure buildup is Δp ;
 - the pressure buildup dealt with the MDH is Δp_{MDH} .

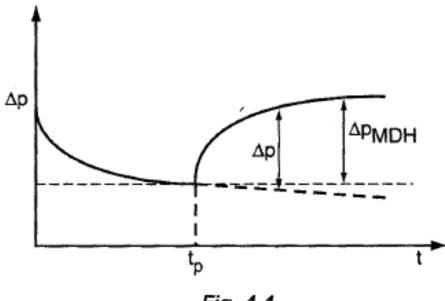


Fig. 4.4



- The difference between Δp and Δp_{MDH} is negligible when Δt is small compared to t_p , i.e.:
 - at the beginning of buildup;
 - after a long period of constant flow rate.



Interpretation

• The pressure varies linearly versus the logarithm of time. By plotting Δp_{MDH} versus Δt , a semi-log straight line with a slope of m (Fig. 4.5) can be seen once the wellbore storage effect has ended;

$$m = \frac{162.6 \text{ qB}\mu}{\text{kh}} \qquad \text{(in practical US units)} \tag{4.24}$$

$$m = \frac{21.5 \text{ qB}\mu}{1-1}$$
 (in practical metric units) (4.25)



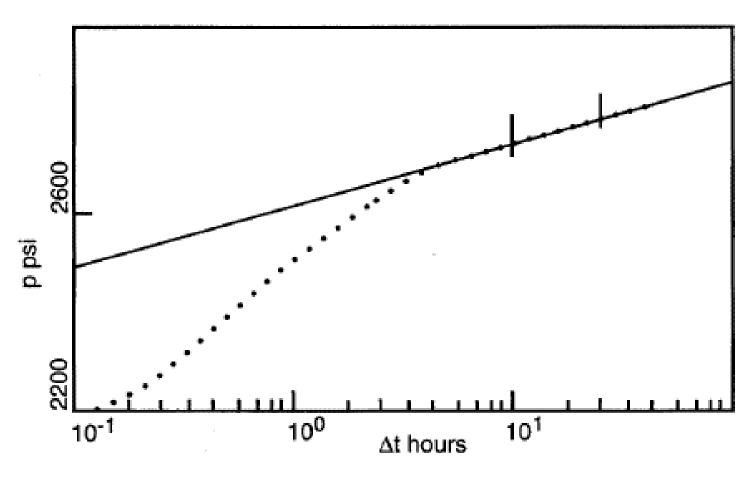


Fig. 4.5



Interpretation

• The slope is used to compute the reservoir's **kh**:

$$kh = \frac{162.6 \text{ qB}\mu}{m}$$
 (in practical US units) (4.26)

$$kh = \frac{21.5 \text{ qB}\mu}{m}$$
 (in practical metric units) (4.27)



Interpretation

 The skin is computed the same way as in the Horner method:

S=1.151
$$\left(\frac{p_{1h} - p_{wf}(t_p)}{m} - \log \frac{k}{\phi \mu c_t r_w^2} + 3.23\right)$$
 (US) (4.28)

S=1.151
$$\left(\frac{p_{1h} - p_{wf}(t_p)}{m} - \log \frac{k}{\phi \mu c_t r_w^2} + 3.10\right)$$
 (metric) (4.29)



Interpretation

- The advantage of this method is that it is very simple, however it has two major drawbacks:
 - it can not be used to find the extrapolated pressure;
 - it can be used only for values of Δt that are small compared to t_p .
- When production time is short or close to Δt (initial tests on a well), the last buildup points are located under the theoretical semi-log straight line in the MDH representation (Fig. 4.6).

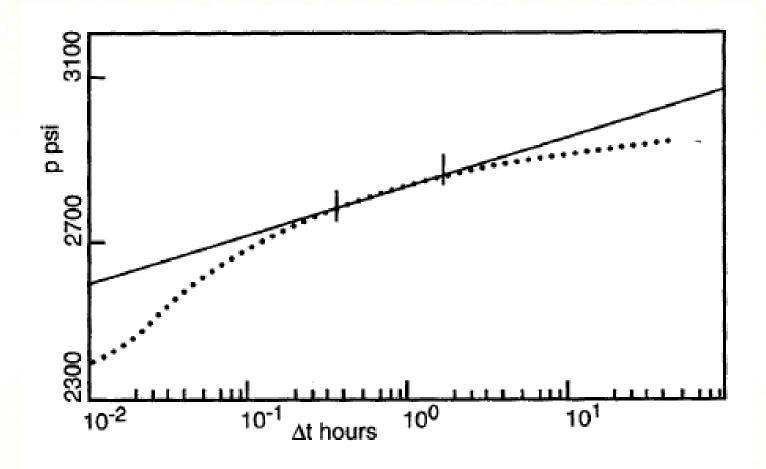


Fig. 4.6



Example 3

(In-class workshop)



References

- 1. Bourdarot, Gilles: Well Testing: Interpretation Methods, Éditions Technip, 1998.
- 2. Internet.

