

Quantitative Data Analysis: Descriptive Statistic

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## DESCRIPTIVE STATISTIC

- What is Statistic and Descriptive Statistic?

DESCRIPTIVE STATISTIC :-

- Describe the basic features of the data in a study
- Simple summaries
- What's going on in our data
- Permit the researcher to describe many pieces of data with a few indices

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## DISTRIBUTION

- summary of the frequency of individual values or ranges of values for a variable.
- Distribution of respondent is by year in working experience, list the number or percent
- Describe gender by number or percent
- Describe income / CGPA ?

| GRADE | FREQUEENCY |
| :---: | :---: |
| A | 123 |
| B | 456 |
| C | 78 |
| D | - |
| E | - |
| F | - |

Table 1: Frequency of Students Grade

| INCOME VALUES | PERCENTAGE |
| :---: | :---: |
| Below RM 1000 | 25 |
| RM1001 to RM 3000 | 25 |
| RM3001 to RM5000 | 30 |
| Above RM5000 | 20 |

Table 2 : Percentage of Respondents' Income

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- Sum of the scores divided by the number of scores.
- The mean is represented by the symbol $\bar{X}$


## Formula for Mean

- $\overline{\mathrm{X}}=\underline{\underline{\Sigma}} \underline{x}$

N

- $\overline{\mathrm{X}}=$ Mean
- $\Sigma=$ The sum of
- X = Individual scores
- $\mathbf{N}=$ The number of scores
- Example:
- Let say there were four students taking a test. The scores were 90, 70, 67 and 50.
- The mean of the sample is,

$$
\begin{aligned}
& \bar{X}=\frac{\Sigma X}{N} \\
& =\frac{90+70+67+50}{4}
\end{aligned}
$$

$$
=69.25
$$

## Properties of the Mean

- The mean is sensitive to the exact value of all the scores in the distribution
- The mean is very sensitive to extreme scores.)


## Median

- the score found at the exact middle of the set of values.
- List all scores in numerical order, and then locate the score in the center of the sample.
- For example, if there are 1000 scores in the list, score \#500 would be the median.


## Mode

- Most frequently occurring value in the set of scores.
- Order the scores, and then count each one. The most frequently occurring value is the mode.

$$
15,20,21,20,36,15,25,15
$$

- In our example, the value 15 occurs three times and is the mode.


## DISPERSION

- spread of the values from the central tendency.
a) Range - the highest value minus the lowest value

$15,20,21,20,36,15,25,15$

Range is $36-15=21$.

## STANDARD DEVIATION

- more accurate and detailed estimate of dispersion because an outlier can greatly exaggerate the range.
- The deviation score tells how far away the raw score is from the mean of its distribution.

| Scores | Deviation | $(\text { Deviation })^{2}$ |
| :--- | :--- | :--- |
| $\left(x_{i}\right)$ | $\left(X_{i}-X\right)$ | $\left(X_{i}-X\right)^{2}$ |
| 2 | $(2-4.4)=-2.4$ | 5.76 |
| 5 | $(5-4.4)=0.6$ | 0.36 |
| 4 | $(4-4.4)=-0.4$ | 0.16 |
| 1 | $(1-4.4)=-3.4$ | 11.56 |
| 6 | $(6-4.4)=1.6$ | 2.56 |
| 3 | $(3-4.4)=-1.4$ | 1.96 |
| 7 | $(7-4.4)=2.6$ | 6.76 |
| 5 | $(5-4.4)=0.6$ | 0.36 |
| 4 | $(4-4.4)=-0.4$ | 0.16 |
| 7 | $(7-4.4)=2.6$ | 6.76 |
|  | Total $=0$ | $\sum$ |

where:

$$
\begin{aligned}
& \bar{X}=\text { each score } \\
& X=\text { the mean or average } \\
& n=\text { the number of values } \\
& \Sigma \text { means we sum across the values }
\end{aligned}
$$

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The Standard Deviation (s)

(36.4/9)<br>$=2.01$

