# Basic Genetics (SQBS 2753) 

## Mendelian Inheritance

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## Mendel and The Laws Of Inheritance

- Gregor Johann Mendel (1822-1884) father of genetics
- Austrian monk
- Conducted landmark studies from 18561864, - thousands of crosses
- Kept meticulously accurate records that included quantitative analysis


## Mendel Chose Pea Plants as His Experimental Organism

- Hybridization
- The mating or crossing between two individuals that have different characteristics
- Tall plant X dwarf plant
- Hybrids
- The offspring that result from such a mating
- Presumed to be a blending of the parent traits
- Often observed to be different than either parent (hybrid vigor)
- Mendel observed them to be like one of the parents with respect to some traits - no blending


## Mendel studied the inheritance of alternative traits in pea plants

- Mendel inferred laws of genetics that allowed predictions about which traits would appear, disappear, and then reappear
- This work was done in his garden at a monastery
- Mendel's paper "Experiments in plant hybrids" was published in 1866 and became the cornerstone of modern genetics


## Keys to the success of Mendel's experiments

- Pure-breeding lines of peas (Pisum sativum)
- Breeding could be done by cross-fertilization or selfing
- Large numbers of progeny produced within a short time
- Traits remained constant in crosses within a line
- Inheritance of alternative forms of traits
- Antagonistic pairs of "either-or" traits: e.g. purple or white, yellow or green
- Brilliant experimentalist
- Planned experiments carefully
- Controlled the plant breeding
- Analyzed results mathematically


## Mendel Studied Seven Traits That Bred True

- The morphological characteristics of an organism are termed characters or traits
- A variety that produces the same trait over and over again is termed a true-breeder


## Seven traits studied by Mendel

Trait $\quad$ Dominant $\quad$ Recessive | Flower colour | Purple | White |
| :---: | :---: | :---: |
| Flower position | Axial | Terminal |
| Seed colour | Yellow | Green |
| Seed shape | Round | Wrinkled |
| Pod shape | Inflated | Constricted |
| Pod colour | Green | Yellow |
| Height | Tall | Dwarf |

## MONOHYBRID CROSSES

The Principles of Dominance and Segregation

## Mendel's Experiments

- Crossed two variants differing in only one trait
-a monohybrid cross


# Monohybrid cross: 

Tall plant $\times$ Dwarf plant

|  | Experimental | Conceptual |
| :---: | :---: | :---: |
| P plant: | Tall | $\times$ |
| Gametes: | $\downarrow$ | Dwarf |
| F $_{1}$ plants: | All Tall | $T$ and $t$ |
|  | - SELF-FERTILIZATION - | $T t$ |
| F $_{2}$ plants: |  | $T t \times T t$ |
| Phenotypic <br> ratio | Tall: dwarf | $\downarrow$ |
| Genotypic <br> ratio | $3: 1$ | $\mathrm{~T}-: \mathrm{tt}$ |



DATA FROM MENDEL'S MONOHYBRID CROSSES

| P Cross | $F_{2}$ progeny | Ratio |
| :--- | :--- | :--- |
| Tall X dwarf plants | 787 tall, <br> dwarf | $277.84: 1$ |
| Round X wrinkled seeds | 5,474 round, <br> 1,850 wrinkled | $2.96: 1$ |
| Yellow X Green seeds | 6,022 yellow, 2,001 <br> green | $3.01: 1$ |
| Purple X white flowers | 705 purple, <br> white | 224 |
| Axial X terminal flowers | 651 axial, <br> terminal | $3.15: 1$ |
| Smooth X constricted pods | 882 smooth, <br> constricted | 329 |
| Green X yellow pods | 428 green, <br> yellow | $2.95: 1$ |

## Interpreting the Data

- For all seven traits studied

1. The $F_{1}$ generation showed only one of the two parental traits
2. The $F_{2}$ generation showed an $\sim 3: 1$ ratio of the two parental traits

- These results refuted a blending mechanism of heredity


## Summary

1. A pea plant contains two discrete hereditary factors, one from each parent
2. The two factors may be identical or different
3. When the two factors of a single trait are different
One is dominant and its effect can be seen
The other is recessive and is masked
4. During gametogenesis (meiosis), the paired factors segregate randomly so that half of the gametes received one factor and half of the gametes received the other

## The Principle of Dominance

- In a heterozygote, one allele may conceal the presence of another


## The Principle of Segregation

- In a heterozygote, two different alleles segregate from each other during the formation of gametes


## Definitions of commonly used terms

- Phenotype is an observable characteristic (e.g. yellow or green pea seeds)
- Genotype is a pair of alleles in an individual (e.g. YY or Yy)
- Homozygote has two identical alleles (e.g. YY or yy)
- Heterozygote has two different alleles (e.g. Yy)
- The heterozygous phenotype defines the dominant allele (e.g. Yy peas are yellow, so the yellow Y allele is dominant to the green $y$ allele)
- A dominant allele with a dash represents an unknown genotype (e.g. Y- stands for either YY or Yy)


## Back Cross

- The F1 progeny are mated back to one of their parents (or to individuals with a genotype identical to parents).


## Example

P:

$$
\begin{array}{ccc}
\boldsymbol{R} \boldsymbol{R} \uparrow & \mathbf{X} & \begin{array}{c}
r r \\
\text { wrinkled seeds }
\end{array} \\
\text { Round seeds } & & \text { wring }
\end{array}
$$

F1:
$R r o$ and $q$
Round seeds -males and female plants

F1 Back cross :

Backcross
progeny

$$
\begin{array}{cc}
\boldsymbol{\operatorname { R r }} \boldsymbol{O}^{\lambda} \\
\text { Round male }
\end{array} \quad \begin{gathered}
\boldsymbol{R} \boldsymbol{R} \oplus \\
\text { Round mother }
\end{gathered}
$$

$$
\begin{aligned}
& 1 / 2 \boldsymbol{R} \boldsymbol{R}, 1 / 2 \boldsymbol{R r} \\
& \text { All- Round progenies }
\end{aligned}
$$

## Testcross

a cross to determine between a homozygous dominant genotype and heterozygous genotype which has the same phenotype parent is always homozygous recessive for all the genes

## Example: Testcross of a tall plant which only produced tall progeny

P:

Gamete :

F1:
$T-\quad X$
Tall female
(genotype unknown)

$$
T, ?
$$

All progenies are tall

Conclusion: The female parent must be producing only one kind of gamete, hence she is homozygous dominant TT.

## DIHYBRID CROSSES

The Principle of Independent Assortment

## Mendel's Experiments

- Mendel also performed dihybrid crosses - Crossing individual plants that differ in two traits
- For example
- Trait 1 = Seed texture (round vs. wrinkled)
- Trait 2 = Seed color (yellow vs. green)
- There are two possible patterns of inheritance for these traits


## Dihybrid cross:

## Yellow, Round $\times$ Green Wrinkled Seeds



## $\mathrm{F}_{2}$ Generation



## DATA FROM ONE OF MENDEL’S DIHYBRID CROSSES

| P Cross | $F_{1}$ generation | $F_{2}$ generation |
| :--- | :--- | :--- |
| Round, | All round, | 315 round, yellow seeds |
| Yellow seeds | yellow | 101 wrinkled, yellow seeds |
| X wrinkled, |  | 108 round, green seeds |
| green seeds |  | 32 green, wrinkled seeds |

## Interpreting the Data

- The $F_{2}$ generation contains seeds with novel combinations not found in the parentals
- Round and Green
- Wrinkled and Yellow
- These are nonparentals
- Occurrence contradicts the linkage model


## Principle of Independent Assortment

- If the genes,assort independently the predicted phenotypic ratio in the $F_{2}$ generation would be 9:3:3:1

| P Cross | $F_{1}$ generation | $F_{2}$ generation | Ratio |
| :--- | :--- | :--- | :---: |
| Round, | All round, yellow | 315 round, yellow seeds | 9.8 |
| Yellow seeds |  | 101 wrinkled, yellow seeds | 3.2 |
| X wrinkled, |  | 108 round, green seeds | 3.4 |
| green seeds |  | 32 green, wrinkled seeds | 1.0 |

- Mendel's data was very close to segregation expectations
- Thus, he proposed the law of Independent assortment
- During gamete formation, the segregation of any pair of hereditary determinants is independent of the segregation of other pairs


## The Principle of Independent Assortment

- The alleles of different genes segregate, or as we sometimes say, assort, independently of each other


## Applications of Mendel's Principles

To predict the outcomes of crosses between different traits of organisms

## (A) The Punnett Square Method

- A Punnett square is a grid that enables one to predict the outcome of simple genetic crosses
- Proposed by the English geneticist, Reginald Punnett


## Punnett Squares

## Axial flowers X Axial flowers Cross of heterozygotes

1. Write down the genotypes of both parents

- Male parent $=A a$
- Female parent $=$ Aa

2. Wite down the possible gametes each parent can make.

- Male gametes: A or a
- Female gametes: $A$ or a


## 3. Create an empty Punnett square

Male gametes

4. Fill in the Punnett square with the possible genotypes of the offspring
5. Determine the relative proportions of genotypes and phenotypes of the offspring - Genotypic ratio

$$
A A: A a: a a
$$

1 : 2 : 1

- Phenotypic ratio

Axial : terminal
3 : 1

## Mendel's results and the Punnett square reflect the basic rules of probability

- Product rule: probability of two independent events occurring together is the product of their individual probabilities
- What is the probability that event 1 AND event 2 will occur?
$-\quad P(1$ and 2$)=$ probability of event $1 \times$ probability of event 2
- Sum rule: probability of either of two mutually exclusive events occurring is the sum of their individual probabilities
- What is the probability that event 1 OR event 2 will occur?
$-\mathrm{P}(1$ or 2$)=$ probability of event $1+$ probability of event 2


## Applying probability to Mendel's crosses

- From a cross of $G g x$ Gg peas:
- What is the chance of getting GG offspring?
- Chance of G pollen is $1 / 2$
- Chance of G ovule is $1 / 2$
- Chance of G pollen and G ovule uniting is $1 / 2 \times 1 / 2=1 / 4$
- What is the chance of getting $\mathbf{G g}$ offspring?
- Chance of G pollen uniting with g ovule is $1 / 2 \times 1 / 2=1 / 4$
- Chance of $g$ pollen uniting with G ovule is $1 / 2 \times 1 / 2=1 / 4$
- Chance of either event happening is $1 / 4+1 / 4=1 / 2$


## (B) Forked-line Method (fork diagram)

- Calculate predicted ratios of offspring by multiplying probabilities of independent events
- Cross: yellow, round $x$ yellow, round



## The Probability Method

Dihybrid Cross: CcDd $\times$ CcDd
Segregation of D gene

| Segregation of C gene |  | $D-(3 / 4)$ | dd (1/4) |
| :---: | :---: | :---: | :---: |
|  | C-(3/4) | $C-D-(1 / 4)$ | C - dd (1/4) |
|  | CC (1/4) | D- CC (1/4) | ccdd (1/4) |


|  | $F_{2}$ generation | Genotype | Frequency | Phenotype |
| :---: | :---: | :---: | :---: | :---: |
|  | Frequency |  |  |  |
|  | $C-D-$ | $9 / 16$ | Dominant for <br> both genes | $9 / 16$ |
|  | $C-d d$ | $3 / 16$ | Recessive for |  |
| $c c D-$ | $3 / 16$ | at least one | $7 / 16$ |  |
| $c c d d$ | $1 / 16$ | gene |  |  |

## (C) The Probability Method

Monohybrid Cross: Dd $\times$ Dd

| Femalegametes | Male gametes |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | $D(1 / 2)$ |  | $d(1 / 2)$ |  |
|  | $D(1 / 2)$ |  | DD (1/4) |  | Dd (1/4) |  |
|  | $d(1 / 2)$ |  | Dd (1/4) |  | Dd (1/4) |  |
|  | Genotype | Frequency |  | Phenotype |  | Frequency |
|  | DD | $\begin{aligned} & 1 / 4 \\ & 1 / 2 \end{aligned}$ |  | Dominant |  | 3/4 |
|  | Dd |  |  |  |  |  |
|  | dd | 1/4 |  | Recessive |  | 1/4 |

## Probability

- To compute probability, we can use three mathematical operations
-Sum rule
-Product rule
-Binomial expansion equation


## Sum rule

- The probability that one of two or more mutually exclusive events will occur is the sum of their respective probabilities
- Consider the following example in mice
- Gene affecting the ears - Gene affecting the tail
- De = Normal allele
$-C t=$ Normal allele
- de = Droopy ears
$-c t=$ Crinkly tail

Example: What is the probability that an offspring of the above cross will have normal ears and a normal tail or have droopy ears and a crinkly tail?

- If two heterozygous (Dede Ctct) mice are crossed
- Then the predicted ratio of offspring is
- 9 with normal ears and normal tails
- 3 with normal ears and crinkly tails
- 3 with droopy ears and normal tails
- 1 with droopy ears and crinkly tail
- These four phenotypes are mutually exclusive
- A mouse with droopy ears and a normal tail cannot have normal ears and a crinkly tail
- Applying the sum rule
- Step 1: Calculate the individual probabilities

$$
\begin{aligned}
& P_{(\text {normal ears and a normal tail) }}=9 /(9+3+3+1)=9 / 16 \\
& P_{(\text {drooov ears and crinklv tail) }}=1 /(9+3+3+1)=1 / 16
\end{aligned}
$$

- Step 2: Add the individual probabilities

$$
9 / 16+1 / 16=10 / 16
$$

- 10/16 can be converted to 0.625
- Therefore $62.5 \%$ of the offspring are predicted to have normal ears and a normal tail or droopy ears and a crinkly tail


## Product rule

- The probability that two or more independent events will occur is equal to the product of their respective probabilities
- Note
- Independent events are those in which the occurrence of one does not affect the probability of another

Example:
Two heterozygous individuals plan to start a family What is the probability that the couple's first three children will all have congenital analgesia?

- Consider the disease congenital analgesia
- Recessive trait in humans
- Affected individuals can distinguish between sensations
- However, extreme sensations are not perceived as painful
- Two alleles
- $P=$ Normal allele
- $p=$ Congenital analgesia
- Applying the product rule
- Step 1: Calculate the individual probabilities
- This can be obtained via a Punnett square

$$
P_{(\text {congenital analgesia })}=1 / 4
$$

- Step 2: Multiply the individual probabilities $1 / 4 \times 1 / 4 \times 1 / 4=1 / 64$
- $1 / 64$ can be converted to 0.016
- Therefore $1.6 \%$ of the time, the first three offspring of a heterozygous couple, will all have congenital analgesia


## Binomial Expansion Equation

- Represents all of the possibilities for a given set of unordered events

$$
P=\frac{n!}{x!(n-x)!} p^{x} q^{n-x}
$$

- where
$-p=$ probability that the unordered number of events will occur
$-\mathrm{n}=$ total number of events
$-x=$ number of events in one category
$-p=$ individual probability of $x$
$-q=$ individual probability of the other category
- Note:
$-p+q=1$
- The symbol! denotes a factorial
- $n$ ! is the product of all integers from $n$ down to 1
$-4!=4 \times 3 \times 2 \times 1=24$
- An exception is $0!=1$
- Question
- Two heterozygous brown-eyed ( $B b$ ) individuals have five children
- What is the probability that two of the couple's five children will have blue eyes?
- Applying the binomial expansion equation
- Step 1: Calculate the individual probabilities
- This can be obtained via a Punnett square

$$
\begin{aligned}
& P_{\text {(blue eyes) }}=p=1 / 4 \\
& P_{\text {(brown eyes) }}=q=3 / 4
\end{aligned}
$$

- Step 2: Determine the number of events
- $\mathrm{n}=$ total number of children $=5$
- $\mathrm{x}=$ number of blue-eyed children $=2$
- Step 3: Substitute the values for $p, q, x$, and $n$ in the binomial expansion equation

$$
\begin{aligned}
& P=\frac{n!}{x!(n-x)!} p^{x} q^{n-x} \\
& P=\frac{5!}{2!(5-2)!}(1 / 4)^{2}(3 / 4)^{5-2} \\
& P=\frac{5 \times 4 \times 3 \times 2 \times 1}{(2 \times 1)(3 \times 2 \times 1)}(1 / 16)(27 / 64) \\
& P=0.26 \text { or } 26 \%
\end{aligned}
$$

- Therefore $26 \%$ of the time, a heterozygous couple's five children will contain two with blue eyes and three with brown eyes


## Problems

- A family with six children.
i. What is probability that at least four will be girls?
ii. What is probability that at least one but no more than four of the children will be girls?


## Solution (i)

The probability that it will be a girl $(p)$ is $1 / 2$, boy $(q)=1 / 2$

| Event | Binomial Formula | Probability |
| :--- | :--- | :--- |
| 4 girls and 2 boys | $\left[(6!) /(4!2!) \times(1 / 2)^{4}(1 / 2)^{2}\right.$ | $15 / 64$ |
| 5 girls and 1 boy | $\left[(6!) /(5!1!) \times(1 / 2)^{5}(1 / 2)^{1}\right.$ | $6 / 64$ |
| 6 girls and 0 boys | $\left[(6!) /(6!0!) \times(1 / 2)^{6}(1 / 2)^{0}\right.$ | $1 / 64$ |

Therefore, the answer is $(15 / 64)+(6 / 64)+(1 / 64)=22 / 64$

## Solution (ii)

The probability that it will be a girl $(p)$ is $1 / 2$, boy $(q)=1 / 2$

| Event | Binomial Formula | Probability |
| :--- | :--- | :--- |
| 1 girl and 5 boys | $\left[(6!) /(1!5!) \times(1 / 2)^{1}(1 / 2)^{5}\right.$ | $6 / 64$ |
| 2 girl and 4 boys | $\left[(6!) /(2!4!) \times(1 / 2)^{2}(1 / 2)^{4}\right.$ | $15 / 64$ |
| 3 girls and 3 boys | $\left[(6!) /(3!3!) \times(1 / 2)^{3}(1 / 2)^{3}\right.$ | $20 / 64$ |
| 4 girls and 2 boys | $\left[(6!) /(4!2!) \times(1 / 2)^{4}(1 / 2)^{2}\right.$ | $15 / 64$ |

Therefore, the answer is $(6 / 64)+(15 / 64)+(20 / 64)+(15 / 64)=56 / 64$

## The Chi Square Test

- A statistical method used to determine goodness of fit
- Goodness of fit refers to how close the observed data are to those predicted from a hypothesis
- Note:
- The chi square test does not prove that a hypothesis is correct
- It evaluates whether or not the data and the hypothesis have a good fit


## The Chi Square Test

- The general formula is

$$
\chi^{2}=\Sigma \frac{(O-E)^{2}}{E}
$$

- where
- $\mathrm{O}=$ observed data in each category
$-E=$ observed data in each category based on the experimenter's hypothesis
$\square \Sigma=$ Sum of the calculations for each category
- Consider the following example in Drosophila melanogaster
- Gene affecting wing shape
$-c^{+}=$Normal wing
$-c=$ Curved wing
- Gene affecting body color
$-e^{+}=$Normal (gray)
-e = ebony
- Note:
- The wild-type allele is designated with a + sign
- Recessive mutant alleles are designated with lowercase letters
- The Cross:
- A cross is made between two true-breeding flies $\left(c^{+} c^{+} e^{+} e^{+}\right.$ and ccee). The flies of the $F_{1}$ generation are then allowed to mate with each other to produce an $F_{2}$ generation@ $\odot(1)$
- The outcome
- $F_{1}$ generation
- All offspring have straight wings and gray bodies
- $F_{2}$ generation
- 193 straight wings, gray bodies
- 69 straight wings, ebony bodies
- 64 curved wings, gray bodies
- 26 curved wings, ebony bodies
- 352 total flies
- Applying the chi square test
- Step 1: Propose a hypothesis that allows us to calculate the expected values based on Mendel's laws
- The two traits are independently assorting
- Step 2: Calculate the expected values of the four phenotypes, based on the hypothesis
- According to our hypothesis, there should be a 9:3:3:1 ratio on the $F_{2}$ generation

| Phenotype | Expected <br> probability | Expected number |
| :---: | :---: | :---: |
| straight wings, <br> gray bodies | $9 / 16$ | $9 / 16 \times 352=198$ |
| straight wings, <br> ebony bodies | $3 / 16$ | $3 / 16 \times 352=66$ |
| curved wings, <br> gray bodies | $3 / 16$ | $3 / 16 \times 352=66$ |
| curved wings, <br> ebony bodies | $1 / 16$ | $1 / 16 \times 352=22$ |

- Step 3: Apply the chi square formula

$$
\begin{aligned}
& \chi^{2}=\frac{\left(O_{1}-E_{1}\right)^{2}}{E_{1}}+\frac{\left(O_{2}-E_{2}\right)^{2}}{E_{2}}+\frac{\left(O_{3}-E_{3}\right)^{2}}{E_{3}}+\frac{\left(O_{4}-E_{4}\right)^{2}}{E_{4}} \\
& \chi^{2}=\frac{(193-198)^{2}}{198}+\frac{(69-66)^{2}}{66}+\frac{(64-66)^{2}}{66}+\frac{(26-22)^{2}}{22} \\
& \chi^{2}=0.13+0.14+0.06+0.73 \\
& \chi^{2}=1.06
\end{aligned}
$$

- Step 4: Interpret the chi square value
- Low chi square values indicate a high probability that the observed deviations could be due to random chance alone
- High chi square values indicate a low probability that the observed deviations are due to random chance alone
- If the chi square value results in a probability that is less than 0.05 (ie: less than 5\%)
- The hypothesis is rejected
- Step 4: Interpret the chi square value
- Before we can use the chi square table, we have to determine the degrees of freedom (df)
- The $d f$ is a measure of the number of categories that are independent of each other
- $d f=n-1$
- where $n=$ total number of categories
- In our experiment, there are four phenotypes/categories
- Therefore, df = 4-1=3

UTM
table 2.1
Chi Square Values and Probability

| Degrees of Freedom | $P=0.99$ | 0.95 | 0.80 |  | 0.50 | 0.20 | 0.05 | 0.01 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 0.000157 | 0.00393 | 0.0642 |  | 0.455 | 1.642 | 3.841 | 6.635 |
| 2 | 0.020 | 0.103 | 0.446 |  | 1.386 | 3.219 | 5.991 | 9.210 |
| 3 | 0.115 | 0.352 | 1.005 | 1.06 | 2.366 | 4.642 | 7.815 | 11.345 |
| 4 | 0.297 | 0.711 | 1.649 |  | 3.357 | 5.989 | 9.488 | 13.277 |
| 5 | 0.554 | 1.145 | 2.343 |  | 4.351 | 7.289 | 11.070 | 15.086 |
| 6 | 0.872 | 1.635 | 3.070 |  | 5.348 | 8.558 | 12.592 | 16.812 |
| 7 | 1.239 | 2.167 | 3.822 |  | 6.346 | 9.803 | 14.067 | 18.475 |
| 8 | 1.646 | 2.733 | 4.594 |  | 7.344 | 11.030 | 15.507 | 20.090 |
| 9 | 2.088 | 3.325 | 5.380 |  | 8.343 | 12.242 | 16.919 | 21.666 |
| 10 | 2.558 | 3.940 | 6.179 |  | 9.342 | 13.442 | 18.307 | 23.209 |
| 15 | 5.229 | 7.261 | 10.307 |  | 14.339 | 19.311 | 24.996 | 30.578 |
| 20 | 8.260 | 10.851 | 14.578 |  | 19.337 | 25.038 | 31.410 | 37.566 |
| 25 | 11.524 | 14.611 | 18.940 |  | 24.337 | 30.675 | 37.652 | 44.314 |
| 30 | 14.953 | 18.493 | 23.364 |  | 29.336 | 36.250 | 43.773 | 50.892 |

From Fisher, R. A., and Yates, F. (1943) Statistical Tables for Biological, Agricultural, and Medical Research. Oliver and Boyd, London.
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- Step 4: Interpret the chi square value
- With $d f=3$, the chi square value of 1.06 is slightly greater than 1.005 (which corresponds to $\mathrm{P}=0.80$ )
- AP $=0.80$ means that values equal to or greater than 1.005 are expected to occur $80 \%$ of the time based on random chance alone
- Therefore, it is quite probable that the deviations between the observed and expected values in this experiment can be explained by random sampling error


## Modern Genetic Terminology

- Recessive
- Null - no functional protein is produced
- genetic null - gene is lost
- functional null - no protein function
- Dominant
- Gain-of-function (GOF)
- protein functions is a new way
- more protein is made than in wildtype
- protein can not be regulated as in wildtype


## MENDELIAN INHERITANCE IN HUMANS

- Many heritable traits in humans are caused by interaction of multiple genes
- Even with single-gene traits, determining inheritance pattern in humans can be tricky
- Long generation time
- Small numbers of progeny
- No controlled matings
- No pure-breeding lines


## Some of the most common single-gene traits caused by recessive alleles in humans

| Disease | Effect | Incidence of Disease |
| :--- | :--- | :--- |
| Thallassemia <br> (chromosome 16 or 11) | Reduced amounts of <br> hemoglobin; anemia, bone, and <br> spleen enlargement | $1 / 10$ in parts of Italy |
| Sickle-cell anemia <br> (chromosome 11) | Abnormal hemoglobin; sickle- <br> shaped red cells, anemia, <br> blocked circulation; increased <br> resistance to malaria | $1 / 625$ African- <br> Americans |
| Cystic fibrosis <br> (chromosome 7) | Defective cell membrane protein; <br> excessive mucus production; <br> digestive and respiratory failure | $1 / 2000$ Caucasians |
| Tay-Sachs disease <br> (chromosome 15) | Missing enzyme; buildup of fatty <br> deposit in brain; buildup disrupts | $1 / 3000$ Eastepean Jews |
| mental development | $1 / 10,000$ Caucasians |  |
| Phenylketonuria (PKU) <br> (chromosome 12) | Missing enzyme; mental <br> deficiency |  |

## Some of the most common single-gene traits caused by dominant alleles in humans

| Disease | Effect | Incidence of Disease |
| :--- | :--- | :--- |
| Hypercholesterolemia <br> (chromosome 19) | Missing protein that removes <br> cholesterol from the blood; heart <br> attack by age 50 | $1 / 122$ French <br> Canadians |
| Huntington disease <br> (chromosome 4) | Progressive mental and <br> neurological damage; neurologic <br> disorders by ages 40-70 | $1 / 25,000$ Caucasians |
|  |  |  |

## PEDIGREES

- In the study of human traits, there are not controlled parental crosses
- Rely on information from family trees or pedigrees
- Pedigree analysis is used to determine the pattern of inheritance of traits in humans


## Pedigree Analysis

- Pedigree analysis is commonly used to determine the inheritance pattern of human genetic diseases
- Genes that play a role in disease may exist as
- A normal allele
- A mutant allele that causes disease symptoms
- Disease that follow a simple Mendelian pattern of inheritance can be
- Dominant
- Recessive


## In humans, pedigrees can be used to study inheritance

- Pedigrees are orderly diagrams of a family's relevant genetic features
- Includes as many generations as possible (ideally, at least both sets of grandparents of an affected person)
- Pedigrees can be analyzed using Mendel's laws
- Is a trait determined by alternate alleles of a single gene?
- Is a trait dominant or recessive?


## Symbols used in pedigree analysis



## Human pedigree showing cystic fibrosis



## Dominant traits in pedigrees

- Three key aspects:

1. Affected children always have at least one affected parent
2. As a result, dominant traits show a vertical pattern of inheritance
3. Two affected parents can produce unaffected children, if both parents are heterozygotes

## A vertical pattern of inheritance indicates a rare dominant trait; e.g Huntington disease

- Every affected person has at least one affected parent
- Mating between affected person and unaffected person is effectively a testcross



## Recessive traits in pedigrees

- Four keys aspects:

1. Affected individuals can be the children of two unaffected carriers, particularly as a result of consanguineous matings
2. All the children of two affected parents should be affected
3. Rare recessive traits show a horizontal pattern of inheritance

A horizontal pattern of inheritance indicates a rare recessive trait; e.g. cystic fibrosis

- Parents of affected individuals are unaffected but are heterozygous (carriers) for the recessive allele
(a) 1



## References

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